



4. After the release of a radioactive material into the atmosphere from a nuclear power plant in a country in 1992, the hay in that country was contaminated by a radioactive isotope (half-life 8 days). If it is safe to feed the hay to the cows when 10% of the radioactive isotopes remains, how long did the farmers need to wait to use this hay?

5. The amount of caffeine in the human body has a half life of 4.9 hours to 6 hours depending on the person.
- Assuming the caffeine half life for a particular person is 5 hours find the decay rate of caffeine and build an exponential model  $[A = A_0 e^{kt}]$  for the decay rate. Round your answer to three decimal places.
  - Using the model in part a, find the amount of caffeine left in the body 1.5 hours after drinking a can of coke which contains 39.5 grams of caffeine. Round your answer to three decimal places.

6. The logistic growth model  $P(t) = \frac{5000}{1 + 125.22 e^{-0.364t}}$  represents the population (in grams) of a bacterium

after  $t$  hours. Answer parts a. through f.

- Determine the carrying capacity of the environment.
- What is the growth rate of the bacteria?
- Determine the initial population size.
- What is the population after 8 hours?
- When will the population be 4000 grams?
- How long does it take for the population to reach one-half of the carrying capacity?